## Two Kinds of Quantificational Domains: Mandarin

## mei with or without dou

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## 1 Introduction

A quick translation: $m e i \rightarrow$ 'every', dou $\rightarrow$ 'all'
What is Mandarin mei ('every')?

- a determiner that always takes a Numeral-Classifier NP sequence: mei 1-ge xiaohai 'every child';
- must co-occur with an adverb dou 'all' unless there is an indefinite in the predicate (Huang 1995, 1996):
(1) a. mei 1-ge xiaohai ${ }^{*}$ (dou) zao-le chuan.

MEI 1-CL child DOU build-PERF raft
'Every child did raft-building.'
b. mei 1-ge xiaohai (dou) zao-le 1 -sou chuan.

MEI 1-CL child DOU build-PERF 1-CL raft
'Every child built one raft.'
Tons of literature about mei 'every' and dou 'all':

- mei is a (distributive) quantifier, dou is a sum operator on events (Huang 1996) or iota operator exerting domain restriction (Giannakidou and Cheng 2006, Cheng 2009) or maximality operator (Xiang 2008) or pre-exhaustification exhaustifier (Xiang 2016) .
- dou is a generalized distributivity operator, mei is a sum operator on individuals (Lin 1998).
- both mei and dou are quantifiers and mei type-shifts to a distributive determiner when it co-occurs with dou (Luo 2011).

But today we focus on the following data:
(2) a. mei 2 - $\mathrm{CL}^{1}$ child built 1-CL raft
b. mei 2-CL child dou built 1-CL raft

Initial observation: under scenario $1,(3 \mathrm{a})$ is true but (3b) is false!

- Scenario 1: There are four children John, Mary, Kim, and Bill in the context. John and Mary built a raft together. Bill and Kim built a raft together.

(3) a. mei 2-ge xiaohai zao-le 1-sou chuan. MEI 2-CL child build-PERF 1-CL raft
'Every two children built one raft.'
b. mei 2-ge xiaohai dou zao-le 1-sou chuan.
MEI 2-CL child DOU build-PERF 1-CL raft
'Every two children built one raft.'
- This is not predicted by previous analysis: Huang(1996) does not deal with the "2-CL child" case, according to her analysis, every possible pair of boys co-varies either with an event variable of 'build 1-CL raft' (3b) or with an indefinite ' 1 -CL raft' but both would predict six events in total.

Proposal: Two kinds of quantificational domain - Partition vs. Exhaustive.
(4) a. mei 2-CL child built 1-CL raft
(Partition)
b. mei 2-CL child dou built 1-CL raft
(Exhaustive)

[^0]$4 a$.

$4 b$.

## Today's goal:

- Add several observations about the differences between (4a) and (4b).
- Propose a possible compositional analysis.
- Advantages and implications of the new proposal.


## 2 More observations

${ }^{1}$ Observation 1: mei with dou sentence requires the occurrence of more events than mei without dou sentence.
[Scenario] There are 4 children building rafts near the river, if (5a)/(5b):
(5) a. mei 2 -ge xiaohai zao-le 1 -sou chuan.

MEI 2-CL child build-PERF 1-CL raft
'Every two children built one raft.'
b. mei 2-ge xiaohai dou zao-le 1-sou chuan. MEI 2-CL child DOU build-PERF 1-CL raft 'Every two children built one raft.'

Then, how many rafts were built in total?
Answer: (5a) $\rightarrow 2$ rafts (two pairs); (5b) $\rightarrow 6$ rafts (every possible pair)

Observation 2: mei without dou sentence is sensitive to Divisible/Indivisible domain while mei with dou sentence is not.
[Scenario] There are 5 children who are going to build some rafts. Their teacher makes a command that (6a)/(6b):

[^1](6) a. mei 2-ge xiaohai zao 1-sou chuan. MEI 2-CL child build 1-CL raft
'Every two children (should) build one raft.'
b. mei 2-ge xiaohai dou zao 1-sou chuan. MEI 2-CL child DOU build 1-CL raft
'Every two children (should) build one raft.'
Then, whether the command can be carried out exactly as the teacher wants? Answer:
$(6 \mathrm{a}) \rightarrow$ the command cannot be finished, what happens to the last child?
$(6 \mathrm{~b}) \rightarrow$ the command can be finished (the domain allows overlapping covers)!
6 a.

6 b .


Observation 3: mei-with-dou sentence is not very compatible with average semantics.
[Scenario] After a survey, we find that 4 children in total built 2 rafts in total.
a. pingjun mei 2-ge xiaohai zao-le 1-sou chuan. on.average MEI 2-CL child build-PERF 1-CL raft
'On average every two children built one raft.'
b. ??pingjun mei 2-ge xiaohai dou zao-le 1-sou chuan. on.average MEI 2-CL child DOU build-PERF 1-CL raft
'On average every two children built one raft.'
$7 a$.

7b.


The contrast is clearer if we say＇each child built 0.5 raft＇under this scenario：
（8）a．pingjun mei 1 －ge xiaohai zao－le 0.5 －sou chuan．
on．average MEI 1－CL child build－PERF 0．5－CL raft
＇On average each child built 0.5 raft．＇
b．＊pingjun mei 1－ge xiaohai dou zao－le 0.5 －sou chuan． on．average MEI 2－CL child DOU build－PERF 0．5－CL raft ＇On average each child built 0.5 raft．＇
－Partition domain captures the non－overlapping quantity of children in the context because it keeps track of different individuals $\rightarrow$ should be compatible with average meaning；
－Exhaustive domain allows overlapping covers $\rightarrow$ should not be that compatible！

Observation 4：mei－without－dou sentence emphasizes a semantics of ratio（a relation between two quantities）while mei－with－dou does not．
［Scenario］The Linguistics Department is discussing the policy for students＇hosting tea：
（9）a．qunian，mei 2－ge xuesheng ban－le 1－ci Ling．xiawucha． last．year MEI 2－CL student host－PERF 1－CL Ling．Tea
＇Last year every two students hosted one LingTea．＇
$\sqrt{ }$ That＇s too tiring！（The quantity of）hosting one Ling－tea is too much for（the quantity of）two students！We need more people per Tea．
b．qunian mei 2－ge xuesheng dou ban－le 1－ci Ling．xiawucha． last．year MEI 2－CL student DOU host－PERF 1－CL Ling．Tea
＇Last year every two students host one LingTea．＇
\＃That＇s too tiring！（The quantity of）hosting one Ling－tea is too much for（the quantity of）two students！We need more people per Tea．
$(9 \mathrm{a}) \rightarrow$ emphasizes the information of a ratio！
$(9 \mathrm{~b}) \rightarrow$ emphasizes the exhaustiveness of this situation！

Relevantly，only（9a）but not（9b）can be used to answer to a how－question like＂How was the Lingtea usually hosted in your department last year？＂

## 3 A compositional analysis

What we want to achieve：
$m e i$ without dou sentence distributes over a partition．
$m e i$ with dou sentence distributes over all the possible pairs．

A conceptual picture：
selects two to construct an non－overlapping partition to distribute over

> (without dou)介
$\llbracket$ mei 2－CL boy $\rrbracket=\{\mathrm{a} \oplus \mathrm{b}, \mathrm{a} \oplus \mathrm{c}, \mathrm{a} \oplus \mathrm{d}, \mathrm{b} \oplus \mathrm{c}, \mathrm{b} \oplus \mathrm{d}, \mathrm{c} \oplus \mathrm{d}\}$
（with $d o u$ ）$\Downarrow$
dou exhausts all the elements to distribute over
The difference between partition and exhaustive domain：
（10）a．$\llbracket$ dou $\mathrm{VP} \rrbracket=\lambda \mathrm{Q} . \forall \mathrm{z} \in \mathrm{Q}: \llbracket \mathrm{VP} \rrbracket(\mathrm{z})^{1}$
b．$\llbracket \emptyset \mathrm{VP} \rrbracket=\lambda \mathrm{Q} . \exists \mathrm{Y} \in \wp_{N O}(\mathrm{Q}) . \forall \mathrm{z} \in \mathrm{Y}: \llbracket \mathrm{VP} \rrbracket(\mathrm{z})$ where $\wp_{N O}(\mathrm{Q})$ is a powerset of all the maximal non－overlapping subsets of Q ．
For $\mathrm{Q}=\{\mathrm{a} \oplus \mathrm{b}, \mathrm{a} \oplus \mathrm{c}, \mathrm{a} \oplus \mathrm{d}, \mathrm{b} \oplus \mathrm{c}, \mathrm{b} \oplus \mathrm{d}, \mathrm{c} \oplus \mathrm{d}\}$ ，
one maximal non－overlapping subset would be：
$\sqrt{ }\{\mathrm{a} \oplus \mathrm{c}, \mathrm{b} \oplus \mathrm{d}\}$（which is a partition）
$\sqrt{ }\{\mathrm{a} \oplus \mathrm{d}, \mathrm{b} \oplus \mathrm{c}\}$（which is a partition）
$\times\{\mathrm{a} \oplus \mathrm{c}\}$（not maximal！）
$\times\{\mathrm{a} \oplus \mathrm{c}, \mathrm{a} \oplus \mathrm{d}\}$（not non－overlapping！）
$\times\{\mathrm{a} \oplus \mathrm{b}, \mathrm{c} \oplus \mathrm{d}, \mathrm{b} \oplus \mathrm{d}\}$（not non－overlapping！）
How to make 【mei 2－CL boy】denote $\{\mathrm{a} \oplus \mathrm{b}, \mathrm{a} \oplus \mathrm{c}, \mathrm{a} \oplus \mathrm{d}, \mathrm{b} \oplus \mathrm{c}, \mathrm{b} \oplus \mathrm{d}, \mathrm{c} \oplus \mathrm{d}\}$ ？
－One possible way is treat cardinals as modifiers（Ionin\＆Matushanksy 2006，Landman 2003）：
（11）$\llbracket 2-\mathrm{CL} \rrbracket=\lambda \mathrm{P} . \lambda \mathrm{x} . \exists \mathrm{S}[\Pi(\mathrm{S})(\mathrm{x}) \wedge|\mathrm{S}|=2 \wedge \forall \mathrm{~s} \in \mathrm{~S} \mathrm{P}(\mathrm{s})]$ ． $\Pi(\mathrm{S})(\mathrm{x})=1$ iff S is a non－overlapping cover of a plural individual x ，e．g．\｛a，
$\mathrm{b}\}$ is a non－overlapping cover S of a plural individual $\mathrm{a} \oplus \mathrm{b}$ ．

[^2]If there are 4 boys $\mathrm{a}, \mathrm{b}, \mathrm{c}, \mathrm{d}$ in the domain：
$\llbracket 2$－CL boy $\rrbracket=\lambda \mathrm{x} . \exists \mathrm{S}[\Pi(\mathrm{S})(\mathrm{x}) \wedge|\mathrm{S}|=2 \wedge \forall \mathrm{~s} \in \mathrm{~S} \llbracket \mathrm{boy} \rrbracket(\mathrm{s})]$
$\rightarrow\{\mathrm{a} \oplus \mathrm{b}, \mathrm{a} \oplus \mathrm{c}, \mathrm{a} \oplus \mathrm{d}, \mathrm{b} \oplus \mathrm{c}, \mathrm{b} \oplus \mathrm{d}, \mathrm{c} \oplus \mathrm{d}\}$
（12）a．$\llbracket(\exists) 2$－CL boy $\rrbracket=\exists \mathrm{x} \exists \mathrm{S}[\Pi(\mathrm{S})(\mathrm{x}) \wedge|\mathrm{S}|=2 \wedge \forall \mathrm{~s} \in \mathrm{~S} \llbracket \mathrm{boy} \rrbracket(\mathrm{s})] \rightarrow \mathrm{a} \oplus \mathrm{b}$
b．mei＇s distributive／universal strength is shown by blocking this existential closure and presupposing the input set is plural：
$\llbracket \mathrm{mei} \rrbracket=\lambda \mathrm{P}:|\mathrm{P}| \geqslant 2 . \mathrm{P}$
$\llbracket$ mei 2－CL boy $\rrbracket=\lambda \mathrm{x} . \exists \mathrm{S}[\Pi(\mathrm{S})(\mathrm{x}) \wedge|\mathrm{S}|=2 \wedge \forall \mathrm{~s} \in \mathrm{~S} \llbracket$ boy $\rrbracket(\mathrm{s})]$ and this set contains at least 2 elements．
e．g．If there are only 2 boys in context，it is odd to say＇mei 2－CL boy＇！

## Summary：

－Numerals（or NumP）can do more things than we thought！
－mei is not a quantifier only in terms of its ability to establish a subset relation between two sets $\rightarrow$ but I am not saying it is NOT distributive or universal！
－dou is a quantifier only in the sense that it can establish a subset relation between two sets $\rightarrow$ but I am not saying it is just simply a quantifier！

## 4 Potential advantages

Advantage 1：With a null operator $\emptyset$ ，it is possible to encode mei＇s requirement for either $d o u$ or an indefinite here：
－the null operator，which relates to the semantics of a ratio（observation 4），is available only when there are two quantities in the sentence．
（13）a．${ }^{*}$ MEI 2－CL boy $\rrbracket_{\langle e, t>}+\llbracket$ arrived $\rrbracket_{<e, t>}$ $\rightarrow$ ungrammatical because cannot composite！
b．$\llbracket$ MEI 2－CL boy $\rrbracket_{\langle e, t\rangle}+\llbracket$ DOU build 1－CL raft $\rrbracket_{\langle e t, t\rangle}$
$\rightarrow$ quantifier dou blocks the null operator and distributes over every pos－ sible pairs．
c．$\llbracket$ MEI 2－CL boy $\rrbracket_{\langle e, t\rangle}+\llbracket \emptyset_{R}$ built 1－CL raft $\rrbracket_{\langle e t, t\rangle}$
$\rightarrow$ null operator $\emptyset_{R}$ is only available when there are two quantities．

Advantage 2：It explains that mei sometimes（when there is no perfective marker） can be freely omitted：
（14）（mei）2－ge xiaohai zao 1 －sou chuan．
MEI 2－CL child build 1－CL raft
＇Every two children（should）build one raft．＇
Advantage 3：The fact that Mandarin mei can modify an VP directly seems to be compatible with the analysis of mei as a modifier type＜et，et＞：
（15）a．wo（mei）xi 5 －ge wan zheng 10 －kuai qian．
I MEI wash 5－CL bowl earn 10－CL money
＇Every＊（time）I wash 5 bowls I earn 10 CNY ．＇
Advantage 4：mei in object place does not need dou or indefinites to license it because ＇mei 1－CL NP＇in（16）might be able to become type e in object position（but not an option for＇mei 2－CL NP＇because semantically odd！）

- 【mei 1－CL boy】：$\{\mathrm{a}, \mathrm{b}, \mathrm{c}, \mathrm{d}\} \Rightarrow \mathrm{a} \oplus \mathrm{b} \oplus \mathrm{c} \oplus \mathrm{d}$（type e）
- 【mei 2－CL boy $\rrbracket:\{\mathrm{a} \oplus \mathrm{b}, \mathrm{a} \oplus \mathrm{c}, \mathrm{a} \oplus \mathrm{d}, \mathrm{b} \oplus \mathrm{c}, \mathrm{b} \oplus \mathrm{d}, \mathrm{c} \oplus \mathrm{d}\}$
$\Rightarrow \mathrm{a} \oplus \mathrm{b} \oplus \mathrm{a} \oplus \mathrm{c} \oplus \mathrm{a} \oplus \mathrm{d} \oplus \mathrm{b} \oplus \mathrm{c} \oplus \mathrm{b} \oplus \mathrm{d} \oplus \mathrm{c} \oplus \mathrm{d}$（type e but an odd one！）
（16）a．wo xihuan mei 1－ge jiangzuo．
I like MEI 1－CL talk
＇I like every talk（of the conference）．＇
b．＊wo xihuan mei 2－ge jiangzuo．
I like MEI 2－CL talk
Lit．＇I like every two talks（of the conference）．＇


## 5 Conclusions

In this talk：
－Establish a difference between＇$m e i$ with／without dou by 4 observations．
－Propose a possible compositional analysis：
$\llbracket(\exists) 2$－CL boy $\rrbracket=\exists \mathrm{x} \exists \mathrm{S}[\Pi(\mathrm{S})(\mathrm{x}) \wedge|\mathrm{S}|=2$
$\llbracket \mathrm{mei} \rrbracket=\lambda \mathrm{P}:|\mathrm{P}| \geqslant 2 . \mathrm{P}$
mei 2－CL boy $\rrbracket=\lambda \mathrm{x} . \exists \mathrm{S}[\Pi(\mathrm{S})(\mathrm{x}) \wedge|\mathrm{S}|=2 \wedge \forall \mathrm{~s} \in \mathrm{~S} \llbracket$ boy $\rrbracket(\mathrm{s})]$ and this set contains at least 2 elements．
$\llbracket \mathrm{dou} \mathrm{VP} \rrbracket=\lambda \mathrm{Q} . \forall \mathrm{z} \in \mathrm{Q}: \llbracket \mathrm{VP} \rrbracket(\mathrm{z})$
$\llbracket \emptyset_{R} \mathrm{VP} \rrbracket=\lambda \mathrm{Q} . \exists \mathrm{Y} \in \wp_{N O}(\mathrm{Q}) . \forall \mathrm{z} \in \mathrm{Y}: \llbracket \mathrm{VP} \rrbracket(\mathrm{z})$ where $\wp_{N O}(\mathrm{Q})$ is a powerset of all the maximal non－overlapping subsets of Q ．
－Such an analysis can：
$\rightarrow$ explain such a difference between partition and exhaustive
$\rightarrow$ explain why＇mei 2 －CL child＇always needs $d o u$ or an indefinite
in the predicate

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## Appendix A

Response to Huang\＆Jiang（2009，p305－306）${ }^{1}$ ：
－For mei with dou，when the number $\geqslant 2$ ，is ungrammatical？
（17）${ }^{*}$ mei liang－ge xuesheng dou chi yi－kuai dangao． MEI 2－CL student DOU eat 1－CL cake Intended：＇Every two students eat one piece of cake．＇
（18）$*_{\text {mei }}$ liang－ge xuesheng dou chi－le yi－kuai dangao． MEI 2－CL boy DOU eat－PERF 1－CL cake Intended：＇Every two students ate one piece of cake．＇
$\sqrt{ }$ Just pragmatic weirdness，but in some context like a Math problem set，we can find the following corpus ${ }^{1}$ ：
（19）mei 3－ge yuan dou wu gongtongdian． MEI 3－CL circle DOU not．have common．point
＇Every three circles don＇t have a common point．＇
（20）mei liang－ge dian dou queding yi－tiao zhixian． MEI 2－CL point DOU determine 1－CL line ＇Every two points determine one line．＇
$\sqrt{ }$ With perfective marker it is still grammatical！（See Niu\＆Pan（2015，p15））：
（21）mei san－ge ren dou he－le yi－ping jiu． MEI 3－CL man DOU drink－PERF 1－CL wine
＇Every three men drank one bottle of wine＇

## Appendix B：Results from a pilot study

Observation 1：mei with dou sentence requires the occurrence of more events than mei without dou sentence
－Exp1：

There are 4 boys a，b，c，d building castles on the beach． Scenario P（partition）：a and b built a castle，c and d built a castle．
Scenario E（exhaustive）：a and b，a and c，a and d，b and c，b and d，c and d，all possible pairs each built a castle．
Sentence O（without dou）：mei 2－boy built 1－castle．（每两个男孩造了一个城堡）

[^3]Sentence W（with dou）：mei 2－boy dou built 1－castle．（每两个男孩都造了一个城堡）
$\rightarrow$ Question：Whether the sentence is true under this scenario？

| Predictions for Exp1： |  |  |
| :--- | :--- | :--- |
|  | Scenario P | Scenario E |
| Sentence without dou | True | True（but pragmatically bad） |
| Sentence with dou | False | True |

Results for $\operatorname{Exp} 1$（Mean ratio of＇True＇response）：

|  | P | E |
| :--- | :--- | :--- |
| without dou | $53.3 \%$ | $37.8 \%$ |
| with dou | $38.3 \%$ | $65 \%$ |

－The effect of $\mathrm{P} / \mathrm{E}$ is not quite（but almost）significant for sentence with dou： $\mathrm{F}(1,28)=4.167, \mathrm{p}$
$=0$ ． 05073 ．
－For sentence without dou there is no significant effect： $\mathrm{F}(1,28)=1.559, \mathrm{p}=0.2221$ ．

Observation 2：mei without dou sentence is sensitive to Divisible／Indivisible domain while mei with dou sentence is not

## －Exp2：

Scenario D（divisible）：There are 7 carpenters doing work together．Their master makes a command that $[\mathrm{O} / \mathrm{W}]$ ．
Scenario I（indivisible）：There are 6 carpenters doing work together．Their master makes a command that $[\mathrm{O} / \mathrm{W}]$ ．
Command O（without dou）：mei 2－carpenter make 1－desk．（每两个木匠做一个桌子）
Command W（with dou）：mei 2－carpenter dou make 1－desk．（每两个木匠都做一个桌子）
$\rightarrow$ Question：Whether the Command can be carried out exactly under this Scenario（not considering other factors）？

Predictions for Exp2：

|  | Scenario D | Scenario I |
| :--- | :--- | :--- |
| Command without dou | Yes | No |
| Command with dou | Yes | Yes |

Results for Exp2（Mean ratio of＇Yes＇response）：

|  | D | I |
| :--- | :--- | :--- |
| without dou | $90 \%$ | $68.3 \%$ |
| with dou | $75 \%$ | $73.3 \%$ |

－Significant difference between D and I for sentence without dou： $\mathrm{F}(1,28)=4.568, \mathrm{p}=0.04146<$ 0.05 ．
－No significant difference for sentence with dou： $\mathrm{F}(1,28)=0.01989, \mathrm{p}=0.8889$ ．

Observation 3：mei－with－dou sentence is not very compatible with average semantics
－Exp3：

Scenario A（average）： 12 students in class own 6 phones in total
Sentence O：On average mei 2－student own 1－phone．（平均每两个学生拥有一部手机）
Sentence W：On average mei 2－student dou own 1－phone．（平均每两个学生都拥有一部手机）
$\rightarrow$ Question：Whether the sentence is true under this Scenario？

| Predictions for Exp3： |  |
| :--- | :--- |
|  | Scenario A |
| Sentence without dou | True |
| Sentence with dou | False |

Results for Exp3（Mean ratio of＇True＇response）：

|  | A |
| :--- | :--- |
| without dou | $71.7 \%$ |
| with dou | $64.2 \%$ |

－The difference is actually not significant： $\mathrm{F}(1,58)=0.6374, \mathrm{p}=0.4279 \rightarrow$ should ask acceptability rather than truth－value judgment！


[^0]:    ${ }^{1}$ An anonymous reviewer pointed out that in Huang and Jiang (2009), they argue ' $m e i+n u m(\geqslant 2)+$ CL ' denotes an indeterminate domain, which is not compatible with the iota operator dou that expects a domain with stable elements. See Appendix A for some corpus as counterexamples.

[^1]:    ${ }^{1}$ See Appendix B the results from a pilot study to test observations 1-3.

[^2]:    ${ }^{1}$ A recent paper（Xiang 2016）gives a uniform semantics to capture dou＇s multiple uses as quantifier－ distributor，free choice licenser，and the scalar marker：dou is a pre－exhaustification exhaustifier that operates on sub－alternatives．I consider our analysis here is compatible with it．

[^3]:    ${ }^{1}$ Thanks to an anonymous reviewer who brought up this proceeding paper to me．
    ${ }^{1}$ https：／／www．nowcoder．com／questionTerminal／a8656f58e89f4d0aa6b62a550ce 2b2aa？toCommentId＝332792

